## VALENCE PRIMARY SCHOOL-CALCULATION POLICY 2017/18 Year 4, Year 5 and Year 6



## Aims- Based on the 2014 New Curriculum

## To ensure that pupils

- become fluent in the fundamentals of mathematics, including through varied and frequent practice with increasingly complex problems over time, so that pupils develop conceptual understanding and the ability to recall and apply knowledge rapidly and accurately
- reason mathematically by following a line of enquiry, conjecturing relationships and generalisations, and developing an argument, justification or proof using mathematical language
- can solve problems by applying their mathematics to a variety of routine and non-routine problems with increasing sophistication, including breaking down problems into a series of simpler steps and persevering in seeking solutions

Addition			
Year 4	Year 5	Year 6	
Mental/Written Strategies	Mental/Written Strategies	Mental/Written Strategies	
<ul> <li>Count regularly, on and back, now including multiples of 6, 7, 9, 25 and 1000, and steps of 1/100.</li> <li>add numbers with up to 4 digits using the formal written methods of columnar addition where appropriate</li> </ul>	<ul> <li>Count regularly, on and back, now including steps of powers of 10.</li> <li>Children should extend the column method to adding more than two numbers including decimals.</li> </ul>	<ul> <li>Consolidate previous years.</li> <li>Use efficient written methods</li> <li>Children should experiment with order of operations, investigating the effect of positioning the brackets in different places, e.g. 20 - 5 x 3 = 5; (20 - 5) x 3 = 45</li> </ul>	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	They should be encouraged to choose from a range of strategies: • Reordering: $5.7 + 5.6 - 0.7$ , $5.7 - 0.7 + 5.6 = 5 + 5.6$ • Partitioning: counting on or back - 460 + 230, 460 + 200 + 30 • Partitioning: bridging through multiples of 10: • Partitioning: compensating: $5.7 + 3.9$ , $5.7 + 4.0 - 0.1$	<u>Vocabulary</u> See previous years <u>Generalisations</u> Order of operations: brackets first, then multiplication and division (left to right) before addition and subtraction (left to right). Children could learn an acrostic such as BODMAS, or could be encouraged to design their own ways of remembering. Sometimes, always or never true? Subtracting numbers makes them smaller. <u>Some Key Questions</u> What do you notice? What's the same? What's different? Can you convince me?	
decimal points	<ul> <li>Farthforing: using near double: 2.5 + 2.0 is double 2.5 and add 0.1 or double 2.6 and subtract 0.1</li> <li>Partitioning: bridging through 60 to calculate a time interval: It is 11.45. How many hours and minutes is it to 15.20?</li> <li>Using known facts and place value to find related facts.</li> </ul>	How do you know ?	

Subtraction				
Year 4	Year 5	Year 6		
<u>Mental / Written Strategies</u>	<u>Mental/Written Strategies</u>	<u>Mental / Written Strategies</u>		
Subtract numbers with up to 4 digits using the formal written methods of column subtraction	Subtract whole numbers with more than 4 digits, including using formal written methods	Consolidate previous years.		
7,15,2,0,8,9	Subtract numbers mentally with increasingly large numbers.	Children should experiment with order of operations, investigating the effect of positioning the brackets in different places, e.g. $20 - 5 \times 3 = 5$ ; $(20 - 5) \times 3 = 45$		
7864 $32/1$ $5983-2498 - 1602 - 4628$	Subtract amounts of money.	<u>Vocabulary</u> See previous years		
5366 1609 1275	8'4,5\$'3 -58109	<u>Generalisations</u> Order of operations: brackets first, then multiplication and division (left to right) before addition and subtraction (left to right). Children could learn an acrostic such as PEMDAS, or could be		
<ul> <li>They should be encouraged to choose from a range of strategies:</li> <li>Counting forwards and backwards: 124 - 47, count back 40 from 124, then 4 to 80, then 3 to 77</li> </ul>	20,434	encouraged to design their own ways of remembering. Sometimes, always or never true? Subtracting numbers makes them smaller.		
<ul> <li>Reordering: 28 + 75, 75 + 28 (thinking of 28 as 25 + 3)</li> <li>Partitioning: counting on or back: 5.6 + 3.7, 5.6 + 3 + 0.7 = 8.6 + 0.7</li> <li>Partitioning: bridging through multiples of 10: 6070 - 4987, 4987 + 13 + 1000 + 70</li> </ul>	<ul> <li>They should be encouraged to choose from a range of strategies:</li> <li>Counting forwards and backwards in tenths and hundredths: 1.7 + 0.55</li> <li>Reordering: 4.7 + 5.6 - 0.7, 4.7 - 0.7 + 5.6 = 4 +</li> </ul>	<u>Some Key Questions</u> What do you notice? What's the same? What's different? Can you convince me? How do you know?		
<ul> <li>Partitioning: compensating - 138 + 69, 138 + 70 - 1</li> <li>Partitioning: using 'near' doubles - 160 + 170 is double 150, then add 10, then add 20, or double 160 and add 10, or double 170 and subtract 10</li> <li>Partitioning: bridging through 60 to calculate a time interval - What was the time 33 minutes</li> </ul>	<ul> <li>5.6</li> <li>Partitioning: counting on or back - 540 + 280, 540 + 200 + 80</li> <li>Partitioning: bridging through multiples of 10:</li> <li>Partitioning: compensating: 5.7 + 3.9, 5.7 + 4.0 - 0.1</li> </ul>			
<ul><li>before 2.15pm?</li><li>Using known facts and place value to find related</li></ul>	• Partitioning: using near double: 2.5 + 2.6 is double 2.5 and add 0.1 or double 2.6 and subtract 0.1			

Year 4	Multiplication Year 5	Year 6
IVIUITIPIICation - Year 4	iviuitiplication - year 5	Wultiplication - Year 6
Continue with a range of equations as in Year 2 but with appropriate numbers. Also include equations with missing digits □2 x 5 = 160	Continue with a range of equations as in Year 2 but with appropriate numbers. Also include equations with missing digits	Continue with a range of equations as in Year 2 but with appropriate numbers. Also include equations with missing digits
<u>Mental methods</u> Counting in multiples of 6, 7, 9, 25 and 1000, and steps of 1/100.	Mental methods X by 10, 100, 1000 using moving digits ITP Use practical resources and jottings to explore equivalent statements (e.g. 4 x 35 = 2 x 2 x 35)	<u>Mental methods</u> Identifying common factors and multiples of given numbers Solving practical problems where children need to scale up. Relate to known number facts.
Solving practical problems where children need to scale up. Relate to known number facts. (e.g. how tall would a 25cm sunflower be if it grew 6 times taller?)	Recall of prime numbers up 19 and identify prime numbers up to 100 (with reasoning)	<u>Written methods</u> Continue to refine and deepen understanding of written methods including fluency for using long
<u>Written methods (progressing to 3d x 2d)</u> Children to embed and deepen their	up. Relate to known number facts.	multiplication
understanding of the grid method to multiply up 2d x 2d. Ensure this is still linked back to their	Identify factor pairs for numbers	X 1000 300 40 2
understanding of arrays and place value counters.	Written methods (progressing to 4d x 2d)	<b>10</b> 10000 3000 400 20
	Long multiplication using place value counters	<b>8</b> 8000 2400 320 16
10	Children to explore how the grid method supports an understanding of long multiplication (for 2d x 2d)	2 3 1
3 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	10 8 1 8	1342
10 8	10 100 80 1 8 0	x 18
	5 4	13420
10 100 80	3 30 24 2 3 4	10736
		24156
3 30 24		1

Division			
Year 4	Year 5	Year 6	
<ul> <li>Recall all related division facts for all tables.</li> <li>Divide whole numbers and those involving decimals up to 1dp by 10 and 100 and use this along with their times table knowledge to solve problems with decimals such as: 12x 0.3</li> <li>Develop their use of repeated subtraction to be able to subtract multiples of the divisor.</li> </ul>	<ul> <li>Continue to use written methods to solve short division TU ÷ U.</li> <li>Divide numbers up to 4 digits by a one-digit number using the formal written method of short division and interpret remainders appropriately for the context.</li> </ul>	<ul> <li>Use efficient written methods of division:</li> <li>Short division – divide larger numbers and decimal numbers up to 2dp by a single digit, knowing how to give their answers as a decimal, remainder or fraction but providing a decimal answer. E.g</li> </ul>	
72÷5	Example 134 r6 - 7 943	146.5 68 <sup>2</sup> 7 <sup>3</sup> 9 <sup>3</sup> 0	
Moving onto: $72^{-5} - 5 - 5 - 5 - 5 - 5 - 5 - 5 - 5 - 5 $	$\frac{\text{Chunking}}{167 \div 45}$ $45 \boxed{3 \text{ r } 32}$ $45 \boxed{167}$ $-\underline{135}{32}  (45 \text{ x } 3)$ Answer $3 \text{ r } 32$	$\frac{152.125}{812417.0000}$ Chunking – divide up to a 4 D.N by a 2 D.N	

Use chunking to divide two and three digit numbers by one and two digit numbers. 73÷5 How many 5's make 73? 73 50 (10 × 5) 23 20 (4 ×5) 3 - If the remainder is smaller than the divisor, stop How many 5s have been subtracted? !4 set with 3 left over	Generalisations         The = sign means equality. Take it in turn to change one side of this equation, using multiplication and division, e.g.         Start: 24 = 24         Player 1: 4 x 6 = 24         Player 2: 4 x 6 = 12 x 2         Player 1: 48 ÷ 2 = 12 x 2	Long Division $ \begin{array}{ccccccccccccccccccccccccccccccccccc$
Remainders should be shown as integers <u>Vocabulary</u> see years 1-3 divide, divided by, divisible by, divided into share between, groups of factor, factor pair, multiple times as (big, long, wideetc) equals, remainder, quotient, divisor inverse		Order of operations: brackets first, then multiplication and division (left to right) before addition and subtraction (left to right). Sometimes, always, never true questions about multiples and divisibility. E.g.: If a number is divisible by 3 and 4, it will also be divisible by 12.